Classification of $C^{\ast}\mbox{-algebras},$ flow equivalence of shift spaces, and graph and Leavitt path algebras Handout 4

- The first page is the answer for the exercise on Handout 2.
- The second page defines the following exercise: The 104 graphs are divided as desribed, ordered (left to right, top to bottom) in groups with same colored partial order and same K-theory. Looking at each of the groups, decide if you think there is more than one class of Morita equivalent graph C^* -algebras and indicate which groups must be divided, and how.

Classification of C^* -algebras, flow equivalence of shift spaces, and graph and Leavitt path algebras



All essential simple graphs with 3 vertices, ordered (left to right, top to bottom) in groups with same irreducibility structure and same Bowen-Franks invariant. In each case, flow equivalence can be established by row or column addition.

Classification of C^* -algebras, flow equivalence of shift spaces, and graph and Leavitt path algebras



All simple graphs with 3 vertices, ordered (left to right, top to bottom) in groups with same colored partial order and same K-theory.